

# $N<sub>2</sub>$  activation by iron-sulfur complexes

# **A theoretical contribution**

#### **Francisco B. C. Machado\*, Ernest R. Davidson**

Department of Chemistry, Indiana University, Bloomington, IN 47405, USA

Received April 22, 1994/Final revision received April 13, 1995/Accepted April 13, 1995

**Abstract.** Inspired by the determination of the structure of the nitrogenase enzyme cofactor by Rees et al., the binding of an  $N_2$  molecule to some model iron-sulfur compounds was investigated using *ab initio* calculations. Side-on and end-on coordination to one two and four iron centers were investigated. In most cases, **the**   $N_2$  is loosely bound and retains its internal triple bond, but a few examples are found where the  $N_2$  is "activated" and has a longer N-N bond length.

Key words:  $N_2$  activation – Nitrogenase

# 1 **Introduction**

The reduction of molecular nitrogen to ammonia occurs under ambient temperature and atmospheric pressure catalyzed by an enzyme known as nitrogenase. This enzyme consists of two proteins, the molybdenum-iron protein and the iron protein. However, some nitrogenases were isolated containing exclusively iron or substituting vanadium for molybdenum. For a historical review, see Refs.  $\lceil 1-10 \rceil$ and references therein.

The molybdenum-iron protein contains the molybdenum iron cofactor (MoFeco), a complex consisting of iron, molybdenum, and sulfur, that is recognized as the active site where bonding, activation and reduction of the  $N_2$  molecule occur [5, 11]. Due to the importance of the active center, the search for synthetic compounds containing the essential components of the cofactor was stimulated, and based on this research, several models of the cofactor have been proposed  $[3, 12, 13]$ .

Recently, the X-ray crystal structure analysis of the molybdenum-iron protein allowed for a new perspective to be taken on the structure of the MoFeco. This was

Permanent address: Instituto de Estudos Avançados, Centro Técnico Aeroespacial, Caixa Postal 6044, São José dos Campos, 12231, SP, Brazil

*Correspondence to:* E,R. Davidson



Fig. 1. Core of molybdenum iron cofactor

determined by Rees et al. (with 2.7, 2.2 and 3.0 Å resolution) [14-17], and from these a new model was proposed for the cofactor structure. It consists of two cubane clusters consisting of 4Fe : 3S and 1Mo : 3Fe : 3S which are linked by two  $S<sup>2</sup>$  and a third ligand "Y". This Y ligand has a lower electronic density than the two  $S^{2-}$  and was considered to be a nitrogen, oxygen or a less ordered sulfur. However, more recently it was referred to as another sulfur atom [18]. See Fig. 1. It should be emphasized that this is the "resting" state of the enzyme and the activated form may differ somewhat from this.

Based on this structure of the cofactor, some models have been proposed concerning the binding of the  $N_2$  molecule. Side-on and end-on coordination to the two iron atoms, which are linked to one another by the  $S<sup>2</sup>$  bridge, have been speculated  $[19, 20]$ . Also, it has been suggested that the nitrogen atoms are  $sp<sup>3</sup>$ hybridized, forming a single bond with each other, and to the six iron atoms [16, 20, 21]. Some other models were proposed, including the possibility of the  $N_2$  molecule binding to the Mo atom [20, 22].

The aim of this study is to contribute to the understanding of the features required for a synthetic compound that could serve as a catalyst for reduction of  $N<sub>2</sub>$ . Our assumption is that such a compound should borrow some structural features from nitrogenase and that  $N_2$  bound to it should show significant perturbation compared to the electron distribution and bond length of a free  $N_2$  molecule. Recently, Deng and Hoffmann [22] studied the binding of the  $N<sub>2</sub>$  molecule to nitrogenase using the extended Hückel method. Based on the old assumption of  $N_2$  coordination to the molybdenum atom, another contribution to the literature using the extended Hückel method also exists  $[23]$ . Also, Bauschlicher et al. [24] and Siegbahn [25] studied the coordination mode of the  $N_2$  molecule in the Fe<sub>2</sub>N<sub>2</sub> system using post-Hartree-Fock methodologies.

#### 2 Methodology

Inspired by the cofactor structure of Rees et al. (Fig. 1)  $[14-17]$ , we studied  $N_2$  coordination utilizing the following two types of models. The first assumes that the  $N_2$  binds with two iron atoms in a cubane cluster, replacing the one sulfur atom between them. The models having two monomer (FeS<sub>2</sub>Ln) units, with  $L = H$ , Li, Mg and  $n = 1, 2$  were investigated (Fig. 2). L and n were chosen to constrain the formal oxidation state of the Fe atom. The oxidation states  $+2$  and  $+3$ were investigated. A complete geometry optimization was carried out for the monomers and for the complexes having  $N_2$  binding end-on or side-on. MP2 and



CI calculations were also carried out for some chosen structures. For comparison, the interaction of  $N_2$  with only one monomer unit was also considered.

Second, we investigated the possibility of  $N_2$  being inserted in the surface site formed by four iron atoms in Fig. 1. For that, we assumed that the cage is formed by an  $Fe<sub>4</sub>S<sub>4</sub>$  model. In all of the calculations with this model, the four iron atoms had oxidation form +2. The geometry of Fe<sub>4</sub>S<sub>4</sub> was fixed, having C<sub>2v</sub> point symmetry. All Fe-Fe and Fe-S bond lengths were equal to 2.662 and 2.294A, respectively, as in the nitrogenase crystal structure. Many different possibilities to insert the dinitrogen were calculated at fixed geometry using *ab initio* and semiempirical methods. Some partially optimized structures (N-N and N-Fe bond lengths and Fe-S-Fe bond angles) were also found at the Hartree-Fock level. These calculations are not reported here because all attempts failed to find a geometry in which the  $N_2$  was actually bound to the  $Fe_4S_4$  cage.

In all *ab initio* calculations, split valence basis functions were used. The Dunning and Hay basis [26] was used for hydrogen and for the first row elements. For iron and for the second row elements, we used the Hay and Wadt basis [27, 28] where the core electrons are represented by relativistic effective core potentials.

The free monomers are expected to contain high-spin iron centers. The dimers are expected to anti-ferromagnetically couple these iron centers to form a complex with low spin but many localized singly occupied orbitals. If  $N_2$  were covalently bound to two such iron centers, it would have to break one of its bonding pairs of electrons and recouple the spins to the free iron spins, thereby reducing the number of singly occupied orbitals in the system by 2. The actual total spin of the antiferromagnetic iron system would remain at zero.

None of the *ab initio* programs are written to handle this multiple-open-shell low-spin case easily. Calculating two such iron centers is difficult and calculating four such centers is nearly impossible, so we have resorted in this paper to treating only ferromagnetically coupled iron centers. In this case, the eigenvalue of  $S_z$  would directly reflect the number of singly occupied orbitals in the system if  $S<sup>2</sup>$  were  $M(M + 1)$ . The UHF and MP2 calculations were carried out with the Gaussian 92 program [29]. The CI calculations were performed using the MELD suite of electronic structure codes developed in this laboratory [30]. Semi-empirical calculations were carried out using the ZINDO program  $\lceil 31 \rceil$  in order to get a preliminary feel for some of the complexes (not reported here). None of the results were corrected for basis set superposition error since the goal was to gain chemical insight rather than precise results for these model compounds. A serious problem in all calculations was the tendency of UHF to converge to non-optimal orbitals. This often required repeating calculations from different guesses to the orbitals and coordinates.

#### **3 Results and Discussion**

### *3.1*  $N_2$  binding to monomer I (LiFeS<sub>2</sub>)

The monomer I ( $LiFeS<sub>2</sub>$ ) model was generated as a model where the iron atom could have oxidation form  $+3$ . Table 1 contains the optimized geometries of the  $LiFeS<sub>2</sub>$  monomer and its anion in which the iron has formal oxidation number  $+2$ . These were calculated with the expectation that the iron atom could have oxidation forms  $+2$  or  $+3$  in the complex of interest. Also, the table presents the Mulliken atomic charge and spin populations calculated at the UHF level. In all the tables, it should be remembered that in the UHF formalism, " $2S + 1$ " actually specifies *Ms* rather than S.

Analysis of the molecular orbitals and spin densities shows the iron atom in both systems having the oxidation form  $+2(d^6)$ . In the sextet C<sub>2v</sub> structure (neutral), one open shell electron is delocalized over the two sulfur atoms, which are each in an average oxidation state of  $-3/2$ . This also explains the differences in the Li-S bond lengths and in the Li-Fe-S angles between the two systems. In SCF calcula~tions, delocalized holes are generally less stable than localized holes. For

State	${}^{6}B_2(C_{2v})$	${}^6A'$ (C <sub>2y</sub> )	Anion ${}^5A_1$ (C <sub>2v</sub> )	
Energy	$-48.840$	$-48.846$	$-48.930$	
Geometry				
$Fe-S$	2.3721	2.482, 2.299	2.3592	
$Li-S$	2.4316	2.484, 2.450	2.6249	
$S-Fe-S$	96.918	102.875	116.822	
	Mulliken atomic charge and spin densities (in brackets)			
Fe	0.615(3.810)	0.566(4.004)	0.268(4.185)	
Li	$0.477(-0.115)$	$0.512(-0.030)$	$0.281(-0.053)$	
$S_1$	$-0.546(0.652)$	$-0.448(0.987)$	$-0.774(-0.066)$	
S <sub>2</sub>		$-0.630(0.040)$		
Total	0.000(5.000)	0.000 5.000	$-1.000(4.000)$	

Table 1. LiFeS<sub>2</sub> optimized UHF  $C_{2v}$  and  $C_s$  structure results<sup>a</sup>

 $^{\circ}$  Energies in Hartrees, distances in Å, and angles in degrees



Fig. 3. a "End-on" arrangement of N<sub>2</sub> and monomer I, b "side-on" arrangement of N<sub>2</sub> and monomer I

 $LiFeS<sub>2</sub>$ , this is also true and we obtained a lower energy broken symmetry solution, also included in Table 1, with one open shell electron localized on one of the sulfur centers.

For the two  $C_{2v}$  systems (neutral and anion), we also carried out full CI calculations in the valence space. The high spin ROHF molecular orbitals were used to expand the full CI wave functions. For the anion, the ground state still has high spin coupling ( ${}^{5}$ [Fe d<sup>6</sup>]). For the neutral structure, the more stable state is the  ${}^{4}B_{2}$  state, which presents diamagnetic coupling  ${}^{4}$ <sup>(5</sup>[Fe  $d^{6}$ ]<sup>2</sup>[S p<sup>1</sup>]). Like the high spin,  ${}^{6}B_{2}$  state with coupling  ${}^{6}$  [Fe  $d^{6}$ ]<sup>2</sup> [S  $p^{1}$ ]) found by the UHF calculation, this is still a high spin Fe(II) center coupled to an  $S^{-1}$  open shell sulfur center.

We investigated the possibility of the  $N_2$  molecule binding to this monomer in either end-on or side-on coordination (see Fig. 3). The optimized geometries for the cation and for the anion structures were obtained at the UHF level applying  $C_{2v}$  symmetry constraints. The results are shown in Table 2.

	Neutral $({}^{6}B_2)$		Anion $(^5A_1)$	
	end-on	side on	end-on	
Binding energy				
$(K \text{ cal/mol})$	11	1	5	
Geometry				
$Fe-S$	2.3743	2.3715	2.3613	
$Li-S$	2.4117	2.4323	2.4359	
$Fe-N$	2.4687	3.9946	2.5704	
$N-N$	1.1096	1.1002	1.0964	
$S-Fe-S$	95.678	97.016	116.260	
	Mulliken atomic charge and spin densities (in brackets)			
Fe	0.595 (3.777)	0.586 (3.810)	(4.069) 0.254	
Li	$0.464$ ( $- 0.105$ )	$0.475(-0.115)$	$0.269$ ( $-0.447$ )	
$S_1 = S_2$	$-0.571$ (0.665)	$-0.545$ (0.653)	$-0.797(-0.107)$	
N,	$0.032(-0.048)$	0.014 (0.000)	0.117 (0.030)	
N <sub>2</sub>	0.052 (0.048)	(0.000) 0.014	$-0.046$ ( $-0.032$ )	
Total	0.000 (5.000)	0.000 (5.000)	$-1.000$ (4.000)	

Table 2. LiFeS<sub>2</sub>N<sub>2</sub> optimized UHF structure results with  $C_{2v}$  symmetry constraints<sup>a</sup>

<sup>a</sup> Distances in  $\AA$  and angles in degrees. In end-on structures,  $N_1$  is closest to Fe

In all structures, as observed in the calculations for the monomers, the iron atom has oxidation form  $+2$ . The end-on conformations are the most stable ones. All  $C_{2v}$  structures have lower energy than the sum of the energies of the monomers plus the energy of the  $N_2$  molecule in its ground state. The  $N_2$  free molecule optimized geometry (N-N = 1.0999 A) has its energy equal to  $-108.87816$ Hartrees. The experimental bond length for  $N_2$  is 1.0975 A [32].

In the neutral structures, the side-on optimized conformation has a very large Fe-N bond length and a very small bond energy. For this coordination mode, we hoped to find a structure where N–N would have a double bond. However, UHF converges to a structure with an  $N-N$  bond length practically equal to the free molecule. In the end-on coordination, the optimized structure corresponds to a somewhat stronger Fe-N bond but  $N_2$  still has the triple bond length. The interaction between the iron atom and the  $N_2$  molecule can be understood as a weak donation from the nitrogen lone pair to *spd-hybrids* on the iron atom.

When symmetry is lowered to  $C_s$  and all coordinates including the Fe-N-N angle are optimized, a bent structure with the Fe-N-N angle equal to  $173.2^{\circ}$  is found to be more stable by 2 milliHartrees. The other angles and distances are practically unchanged. In this conformation, the open shell electron that was delocalized over the two sulfur atoms is now localized on one of them. Of course, the LiFeS<sub>2</sub> monomer itself gained 6 milliHartrees by breaking the symmetry and localizing the hole, so in some sense, this broken symmetry  $N_2$  calculation shows less binding by 4 milliHartrees than the  $C_{2v}$  constrained calculation. We also considered side-on structures with the  $N_2$  rotated by 90 $\degree$  to give an alternative  $C_{2v}$  structure. The calculation gave the lowest energy for this structure at infinite separation. An alternative local minimum was found to be 90 kcal/mol higher in energy, corresponding to fully dissociated  $N_2$  molecules with the two N atoms independently bound to the Fe.

In the anion structures, the side-on conformation optimization converges to the separated fragments. In the end-on conformation, the binding energy of the iron atom to the  $N_2$  molecule is weaker than for the neutral system. Here, all the open shell electrons are centered at the iron atom and therefore the bent structure is not favorable.

#### *3.2 N2 bindin9 to two monomer I units*

Of more interest to us was the coordination mode in which the  $N_2$  molecule bridges between two iron atoms located in different monomers. We have investigated different complexes whose structures have end-on or side-on coordination modes. In Fig. 4, the different models of bonding are presented. Structures 4a and 4b are planar while 4c-e have the LiS<sub>2</sub>Fe rings perpendicular to the Fe<sub>2</sub>N<sub>2</sub> plane.

When two  $LiFeS<sub>2</sub>$  units were used as the monomers, the neutral systems were assumed to have spin multiplicity equal to 11. The optimized geometries, energies and Mulliken atomic charge and spin densities calculated using the UHF method are presented in Table 3.

The total energy of all structures is lower than the sum of the energies of the two monomers and a free  $N_2$ . In fact, the binding energies are all more than double the bond strength obtained for  $N_2$  attached to only one monomer. The energy of the end-on structures is much lower than the energy of the side-on structure. However, the  $\mu$ -1, 1-N<sub>2</sub> structure with a strongly perturbed N<sub>2</sub> unit has similar energy to the end-on structures. The end-on trans structure with the sulfur open shell electrons



localized as discussed before, has the lowest calculated energy but a slightly smaller binding energy (relative to the corresponding monomers) than the end-on linear structure.

The strongly perturbed  $\mu$ -1,1-N<sub>2</sub> structure has an N-N bond length equal to 1.217 A, which is close to the double bond distance in the  $PhN = NPh$  compound (1.255 A) [33]. The  $\mu$ -1, 1-N<sub>2</sub> structure presents a negative charge on the nitrogen atom closest to Fe and, on the other, a much larger spin density. Therefore, we can see that this structure shows a covalent interaction between one of the nitrogen atoms and the two iron atoms and that the nitrogen molecule has a double bond.

#### 3.3  $N_2$  binding to two monomer II ( $MgFeS_2$ ) units

The MgFeS<sub>2</sub> monomer was generated to model an iron atom with oxidation form  $+2$ . The UHF optimized geometry for the high spin state (multiplicity equal to 5)



o **E** 

,,s **2 £** 

	End-on liner $D_{2h}$	Side-on $D_{2h}$	$\mu$ -1,1-N <sub>2</sub> $C_{2v}$
Binding energy (kcal/mol)	11	$-63$	$-47$
Geometry			
$Fe-S$	2.4101	2.5083	2.4952
$Mg-S$	2.3646	2.3626	2.3606
$Fe-N$	2.7002	2.3407	2.1719
$N-N$	1.0936	1.1946	1.2232
$S - Fe - N$	127.045		129.548
$Fe-N-N$	180.000		120.548
	Mulliken atomic charge and spin densities (in brackets)		
$Fe_1 = Fe_2$	0.375 (3.988)	0.623 (3.922)	0.627 (3.913)
$S_1 = S_2 = S_3 = S_4$	$-0.690$ (0.020)	$-0.640$ (0.293)	$-0.632$ (0.285)
$Mg_1 = Mg_2$	$0.947 (-0.025)$	$0.949(-0.032)$	$0.962(-0.028)$
$N_{1}$		$0.057 (-0.003) -0.292 (-0.477)$	(0.487) $-0.666$
$N_{2}$		$0.057 (-0.003) -0.292 (-0.477)$	$0.016(-1.398)$
Total	0.000 (8.000)	0.000 (8.000)	0.000 (8.000)

Table 4. Complexes formed by  $N_2$  molecule and two monomer MgFeS<sub>2</sub> units. UHF optimized structures results for the high spin states (multiplicity equal to  $9)^{a}$ 

<sup>a</sup> Distances in A and angles in degrees. In  $\mu$ -1,1 structure, N<sub>1</sub> is closest to Fe

yields a structure with S–Fe and Mg–S bond lengths equal to 2.413 and 2.365  $\rm \AA$ , respectively. The angle formed by the S-Fe-S atom is equal to  $105.9^\circ$ . The total energy is equal to  $-42.208$  Hartrees. Analysis of the molecular orbitals and the spin densities shows that this system has a  $d<sup>6</sup>$  iron atom configuration.

The converged optimized UHF structures for the complexes formed by the  $N<sub>2</sub>$  molecule bound to two iron atoms in the monomers are presented in Table 4. They were calculated with the assumption that the iron atoms have oxidation form  $+2$ , which yields a high spin multiplicity equal to 9. The end-on trans and the end-on cis structures are not presented, since both of them converge to the end-on linear geometry. The end-on linear structure is the most stable one and its energy is the only one that is lower than the sum of the fragments. However, it is the one which presents the least perturbed  $N_2$  unit.

The other converged structures, side-on and  $\mu$ -1,1-N<sub>2</sub>, have energies higher than the sum of the energies of the fragments. Consequently, these structures are local minima and the global minimum corresponds to dissociated fragments. Both of these structures have a strongly perturbed  $\dot{N}_2$  unit. These complexes present very similar structures to those presented in Table 3 in which the  $N_2$  molecule binds to monomer I.

We have also calculated the optimized geometry for the end-on linear, side-on and  $\mu$ -1, 1-N<sub>2</sub> structures at the lower spin multiplicity corresponding to the number of singly occupied orbitals expected in a covalently bound complex, i.e., equal to 7. The spin-up density of the iron is hardly changed by the change in multiplicity, but spin-down density appears on  $N_2$  to give the desired total  $M_s$ . Compared to the high spin state, the end-on linear and the side-on structures have higher energy by 52 and 3 kcal/mol, respectively. The  $\mu$ -1,1-N<sub>2</sub> structure has its energy lowered by 21 kcal/mol, but this is still unbound relative to the high spin monomer.

	$2S + 1 = 9$	$2S + 1 = 7$	$2S + 1 = 5$
Binding energy (kcal/mol)	9	$-53$	$-66$
<i>Geometry</i>			
$Fe-S$	2.3887 (2.3970)	2.3935 (2.5745)	2.3560 (2.3500)
$S-H$	1.3530 (1.3540)	1.3544(1.3557)	1.3530 (1.3530)
$Fe-N$	2.7133	2.0791	2.7044
$N-N$	1.0940	1.1664	1.0940
$S-Fe-S$	172.386	127.121	175.465
	Mulliken atomic charge and spin densities (in brackets)		
$Fe1=Fe2$	$0.701$ $(4.044)$	$0.843$ (4.006)	0.892 (3.881)
$S_1 = S_4$	$-0.442$ ( $-0.027$ )	$-0.458(-0.018)$	$-0.515(-0.036)$
$S_2 = S_3$	$-0.456$ ( $-0.028$ )	$-0.252(-0.588)$	$-0.034$ ( $-1.095$ )
$H_1 = H_4$	0.058 (0.007)	0.067 (0.008)	0.740 (0.009)
$H_2=H_3$	0.081 (0.008)	0.101 (0.046)	0.130 (0.081)
$N_1 = N_2$	$0.058(-0.005)$	$-0.301$ ( $-0.455$ )	$-0.547(-0.841)$
Total	0.000 (8.000)	0.000 (6.000)	0.000 (4.000)

Table 5. Complexes formed by  $N_2$  molecule and two monomer Fe(SH)<sub>2</sub> units in an end-on arrangement. UHF optimized results for a planar molecule<sup>a</sup>

<sup>a</sup> Distances in Å and angles in degrees. Geometry values in parentheses indicate inequivalent S and H on same Fe

# 3.4  $N_2$  binding to monomer III ( $H_2S_2Fe$ )

Like monomer II, this  $H_2S_2F$ e monomer model was chosen so that the iron atom in the neutral system has oxidation form  $+2$  with spin multiplicity equal to 5. The UHF optimized geometry provides a  $C_s$  point group symmetry structure where the S-Fe-S angle is approximately equal to  $180^\circ$ . The S-H and Fe-S bond lengths are equal to 1.354 and 2.389 A. If the S-Fe-S angle were exactly 180 $^{\circ}$ , the symmetry would be  $C_{2h}$  with the z axis out of plane. The total energy is equal to  $-42.526$ Hartrees.

The complexes formed by the two monomers and the  $N_2$  molecule were calculated at the UHF level. In the high spin multiplicity state, only the planar end-on linear structure converged to a bound geometry. The side-on and  $\mu$ -1,1-N<sub>2</sub> structures converged to the separated fragments. In a lower spin state (multiplicity equal to 7), we also obtained an optimized  $\mu$ -1,1-N<sub>2</sub> structure. This multiplicity corresponds to the number of singly occupied orbitals expected if  $N_2$  is covalently bound to each Fe.

Table 5 presents the results obtained at the UHF level for the optimized end-on structures at three different spin states. The high spin structure presents an unperturbed  $N_2$  unit. The states with lower multiplicity have a perturbed  $N_2$  unit with spin-down density on nitrogen and sulfur, but have higher energy. The state with multiplicity equal to 5 has the smallest Fe-N bond length and the most negative net charge on the nitrogen atoms and consequently has the most perturbed  $N_2$  unit. This multiplicity corresponds to the number of singly occupied orbitals expected if the  $N_2$  has a double bond to each Fe.

We also optimized the structures of the three spin states using the MP2 method. The high spin case still has the lowest energy. The results obtained for the high spin state still present an unperturbed  $N_2$  unit, as was obtained at the UHF level.

# **4 Conclusion**

For all the model compounds studied, the iron atom presents oxidation form  $+2$  $(d<sup>6</sup>)$  even though we tried clusters such as LiS<sub>2</sub>Fe with formal oxidation number  $+3.$ 

Using the model in which  $N_2$  binds with two iron atoms with formal oxidation number  $+3$ , the N<sub>2</sub> molecule prefers to bind in an end-on coordination mode instead of a side-on mode. The  $\mu$ -1,1-N<sub>2</sub> structure was also investigated. This has weaker net binding between Fe and  $N_2$  than the end-on form, but the  $N_2$  shows partial promotion to a double bond length and has a net spin down of about one electron and a net charge of  $-0.67$ . Except for the slightly larger bond length, this is similar to  $N_2$  in the end-on mode. The MgS<sub>2</sub>Fe dimer model binds  $N_2$  much more weakly. The end-on mode gives little change in the  $N_2$  bond length or charge distribution. The  $\mu$ -1,1 mode gives a local minimum with a shorter Fe-N distance and a high energy. From these results, it would appear that a dimer site of Fe(III) centers with low coordination number might be useful for catalysis of  $N_2$  reductions.

No stable four-iron  $N_2$  cluster was found, even though a number of different binding modes were investigated.

*Acknowledgemems.* This work was supported by grant number CHE-9007393 from the National Science Foundation. F.B.C.M. is grateful to the Instituto de Estudos Avançados (IEAv-CTA) of Brazil for permission to carry out postdoctoral research at Indiana University.

# **References**

- 1. Chart J, Dilworth JR, Richards RL (1978) Chem Rev 78:589
- 2. Orme-Johnson WH (1985) Annu Rev Biophys Chem 14:419
- 3. Holm RH, Simhon ED (1985) In: Spiro TG (ed) Molybdenum enzymes. Wiley, New York
- 4. Chisnell JR, Premakumar R, Bishop PE (1988) J Bacteriol 170:27
- 5. Burgess BK (1990) Chem Rev 90:1377
- 6. Eady RR, Pan RN, Lowe DJ, Luque FJ (1990) In: Gressoff PM, Roth LE, Stacey G, Newton WE (eds) Nitrogen fixation: achievements and objectives. Chapman and Hall, New York, p 125
- 7. Burris RH (1991) J Biol Chem 266:9339
- 8. Pan RN (1991) In: Dilworth MJ, Glenn AR (eds) Biology and biochemistry of nitrogen fixation. Elsevier, Amsterdam, p 37
- 9. Smith BE, Eady RR (1992) Eur J Biochem 205:1
- 10. Bishop PE, Premakumar R (1992) In: Stacy GS, Burris RH, Evans EJ (eds) Biological nitrogen fixation. Chapman and Hall, New York, p 736
- 11. Shah VK, Brill WJ (1977) Proc Natl Acad Sci USA 74:3249
- 12. Coucouvanis D (1991) Acc Chem Res 24:1
- 13. Ciurli S, Holm RH (1989) Inorg Chem 28:1685
- 14. Kim J, Rees DC (1992) Science 257:1677
- 15. Kim J, Rees DC (1992) Nature 360:553
- 16. Chan MK, Kim J, Rees DC (1993) Science 260:792
- 17. Kim J, Woo D, Rees DC (1993) Biochemistry 32:7104
- 18. Kim J, Georgiadis MM, Chan MK, Woo D, Komiya H, Rees DC (1992) J Inorg Biochem 51:2
- 19. Orme-Johnson WH (1992) Science 257:1639
- 20. Sellmann D (1993) Angew Chem Int Ed Engl 32:64
- 21. Rees DC, Kim J, Georgiadis M, Chan MK, Komiya H, Woo D, Chirino AJ, Schlessman J, Hsn BT (1993) In: Palacios R, Mora J, Newton WE (eds) New horizons in nitrogen fixation. Kluwer Academic Publishers, Dordrecht, p 83
- 22. Deng H, Hoffmann R (1993) Angew Chem Int Ed Engl 32:1062
- 23. Borshch VN, Shestakov AF (1992) Doklady physical chemistry, Proc. Academy of Sciences of the USSR 327:591
- 24. Bauschlicher CW, Peterson LGM, Siegbahn PEM (1987) J Chem Phys 87:2129
- 25. Siegbahn PEM (1991) J Phys Chem 95:364
- 26. Dunning TH, Hay PJ (1977) In: Schaefer HF III (ed) Methods of electronic structure theory. Plenum, New York, p 1
- 27. Hay PJ, Wadt WR (1985) J Chem Phys 82:270
- 28. Wadt WR, Hay PJ (1985) J Chem Phys 82:284
- 29. Frisch MJ, Head-Gordon M, Trucks GW, Foresman JB, Schlegel HB, Raghavachari K, Robb MA, Binkley JS, Gonzalez C, Defrees DJ, Fox DF, Topiol RA, Pople JA (1992) GAUSSIAN 92. Gaussian Inc., Pittsburgh, PA
- 30. The MELD series of electronic structure code was developed by McMurchie LE, Elbert ST, Langhoff SR, Davidson ER and was extensively modified by Feller D, Rawlings DC
- 31. Ridley JE, Zerner MC (1973) Theor Chim Acta 32:111; ibid. (1976) 43:223; Bacon AD (1976) PhD dissertation, Department of Chemistry, University of Guelph, Canada; Bacon AD, Zerner MC (1979) Theor Chim Acta 53:21; Edwards WD, Zerner MC (1987) Theor Chim Acta 72:347; Edwards WD, Weiner B, Zerner MC (1986) J Am Chem Soc 108:2196; ibid. (1988) J Phys Chem 92:6180
- 32. Wilkinson PG, Honk NB (1956) J Chem Phys 24:528
- 33. Allen FH, Kennard O, Watson DG, Brammer L, Orpen AG, Taylor R (1987) J Chem Soc Perkin Trans II S1
- 34. Hehre WJ, Radom L, Schleyer PR, Pople J (1986) *Ab initio* molecular orbital theory. Wiley, New York